Algebraic foliations, applications to moduli problems

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A (possibly singular) foliation F on a complex projective manifold X is shown to have algebraic leaves if its dual is not pseudoeffective. A consequence which applies in (proving Log-canonical bigness of) moduli is the following : if D is a simple normal crossings divisor on X and L a big line bundle on X which injects in some tensor power of the Logarithmic cotangent bundle of (X, D), then $K_X + D$ is big. This is a joint work with M. Paun.